



# Point-on-wave Data of EPFL-campus Distribution Network

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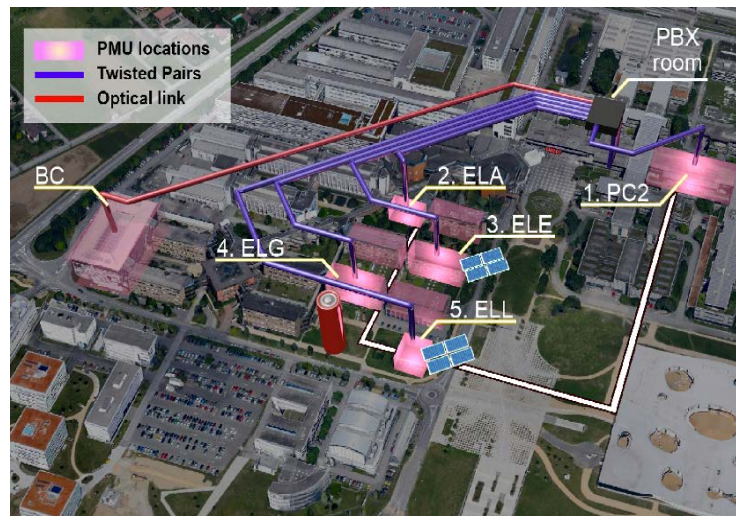
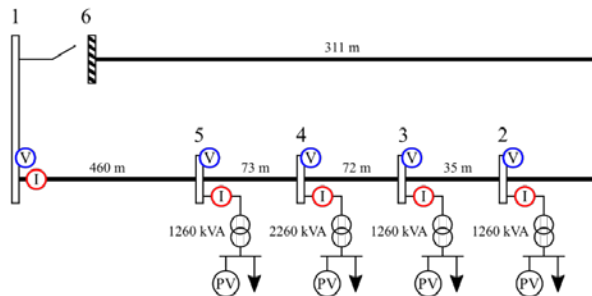
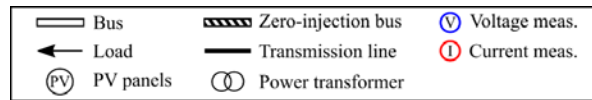


# The Electric Network

- 20 kV
- 40 buses
- 30 MW peak
- 6 MW peak CHP
- 2.5 MW peak PV
- 1 MW peak, 0,5 MWh Li-Titanate Energy Storage System

# The Sensing Infrastructure

- 5 P-class PMUs
- FPGA-based → National Instruments cRIO
- Synchrophasor Estimation → e-IpDFT
- TVE ~ 0.0X %
- FE < 0.4 mHz
- GPS sync → 100 ns accuracy
- Voltage sensors → Capacitive 0.1-class
- Current sensors → Rogowsky 0.5-class
- Communication → Twisted pairs + fiber
- Data frames → 50 fps – UDP
- 1 PDC

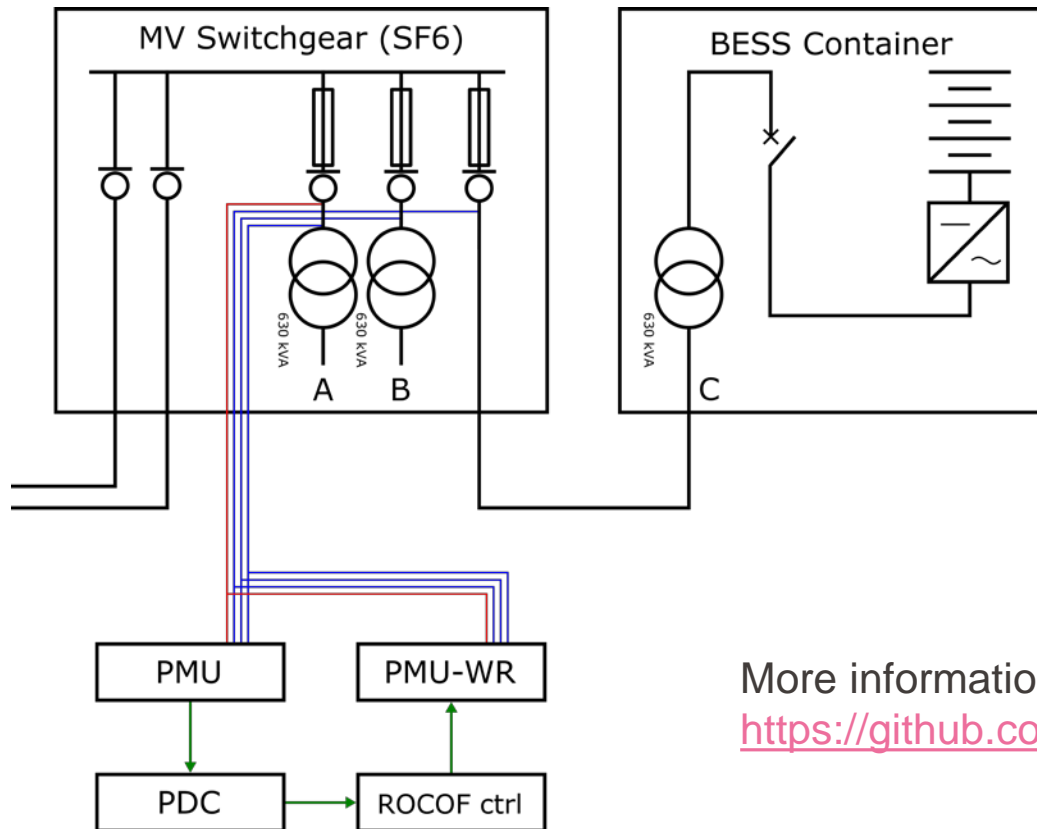


# The Battery Energy Storage System (BESS)

- 560 kWh/720 kVA BESS
- Lithium titanate oxide (LTO) cells
- Series and parallel to form 9 battery racks
- DC bus 590 : 810 V
- Four quadrant DC-AC converter
- 0.3/21 kV, 630 kVA transformer
- Active and reactive power setpoints request to the converter via ModBUS TCP

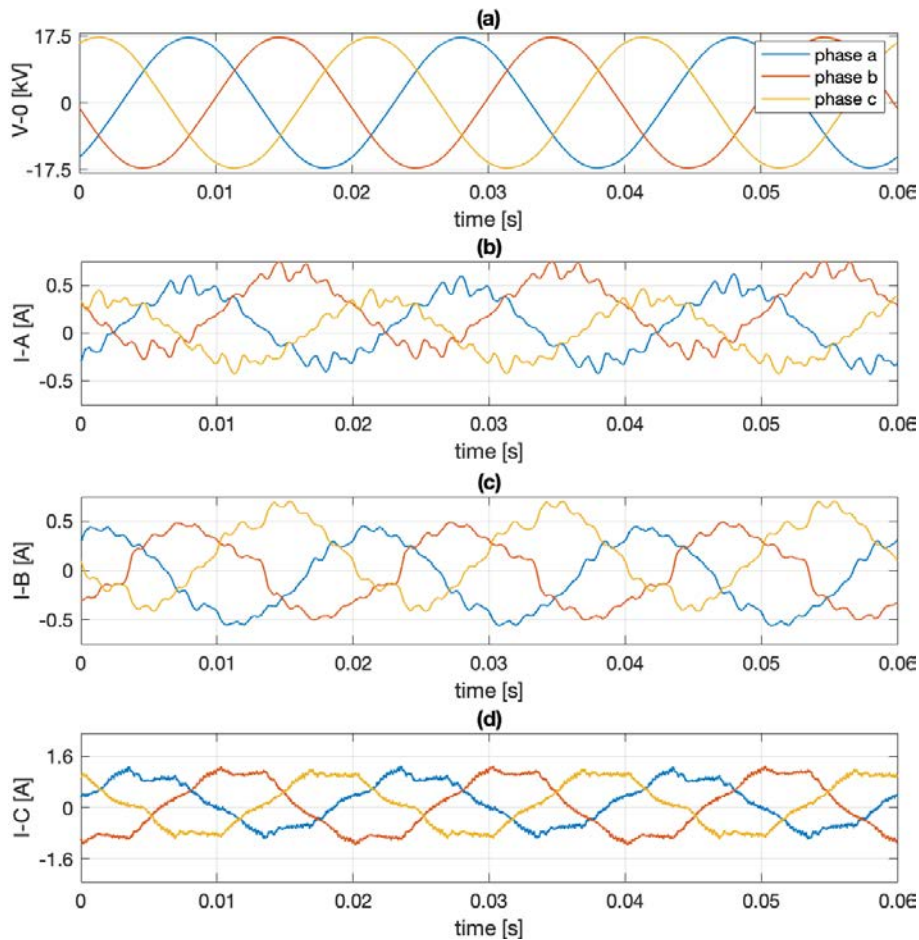


# The Waveform Recorder Functionality



More information available at:  
<https://github.com/DESL-EPFL/>

# The Acquired Point-on-Wave Data



# The Signal Model

The waveforms can be modelled as the sum of three main contributions:

$$y(t) = A_1(t) \cdot \cos(2\pi f_1(t)t + \varphi_1(t)) + \eta(t) + \varepsilon(t)$$

- $A_1, f_1, \varphi_1$  fundamental component time-varying parameters
- $\eta(t)$  narrow-band disturbances, i.e. (inter-)harmonics
- $\varepsilon(t)$  wide-band disturbances, i.e. measurement noise

The proposed PMU is able to identify also the disturbance contributions:

- (inter-)harmonic synchrophasors
- noise statistical model (e.g. PDF)

**OBJECTIVE:** accurate estimation of both fundamental and (inter-)harmonic synchrophasors in dynamic conditions over window lengths in the order of  $10^2$  ms.

# Identification method

In order to track the signal time-variations, the proposed approach considers:

- a window length of 200 ms, i.e. 10 cycles at 50 Hz (as suggested by IEC Std 61000)
- a reporting rate of 100 fps, i.e. update every 10 ms (max rate of IEEE Std c37.118.1)

▪ Given a signal window, the identification method consists of the following steps:

1. DC identification and removal
2. fundamental phasor estimation
3. harmonic support definition
4. Taylor-Fourier expansion basis
5. harmonic phasors' estimation
6. estimation residual update
7. inter-harmonic peak search
8. repeat steps 4 – 5 – 6
9. noise model identification

$$x = y - E(y) = x - \text{mean}(y)$$

$$\{A_1, f_1, \varphi_1\} = x_1 = \text{i-lpDFT}(x)$$

$$\mathcal{S} = \{f_h = f_1 \cdot h \mid h = 2, \dots, 50\}$$

$$B = \text{TFM}(\mathcal{S}, 2)$$

$$\{A_h, f_h, \varphi_h\} = x_h = (B^H B)^{-1} B^H x$$

$$r = x - \sum_h x_h, \quad h = 1, \dots, 50$$

$$\{f_i\} = \text{findpeak}(r) \rightarrow \mathcal{S} = \{f_i \cup f_h\}$$

$$r = x - \eta = x - \sum_h x_h - \sum_i x_i$$

$$\varepsilon = \mathcal{N}(\text{mean}(r), \text{std}(r))$$



# Harmonic Phasor Extraction

The (inter-)harmonic phasor extraction relies on the combined application of:

- Iterative Interpolated DFT (i-IpDFT)
- Taylor-Fourier basis expansion (cs-TFM)

## i-IpDFT

- based on a static signal model (stationarity assumption)
- IEEE Std C37.118.1 class P + M
- compensation of spectral leakage effects (other tones, neg frequency)

## cs-TFM

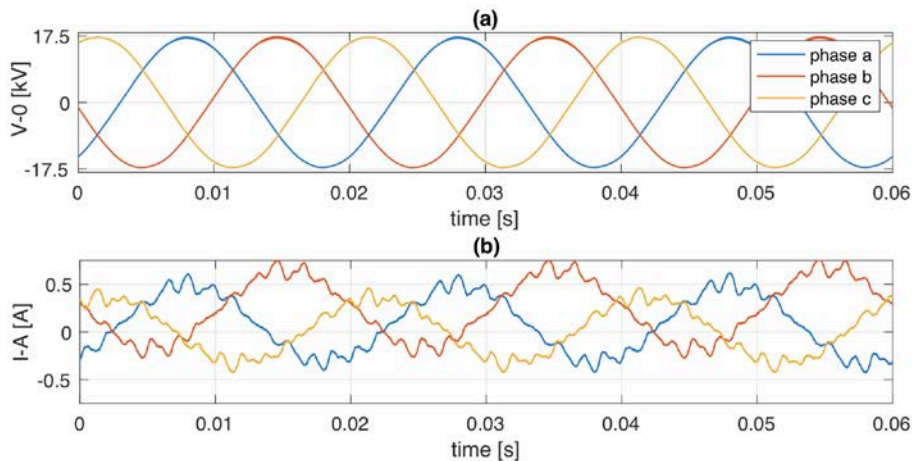
- based on a dynamic signal model (2nd order Taylor-Fourier expansion)
- IEEE Std C37.118.1 class M
- account for time-varying parameters within the observation window

The combined i-IpDFT + cs-TFM approach allows for a two-fold objective:

- i-IpDFT: accurate definition of fundamental frequency  $f_1 \rightarrow$  spectral support  $\mathcal{S}$
- cs-TFM: accurate estimation of time-varying harmonic phasors  $A_h(t) \cdot e^{j\varphi_h(t)}$

# Results: Fundamental Frequency

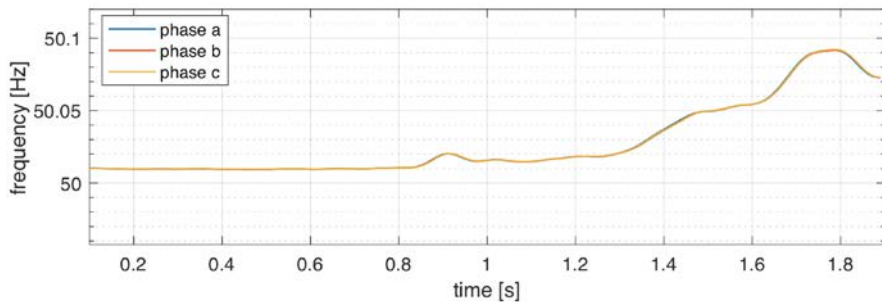
- Acquired three-phase waveforms of voltage V0 (a) and current I-A (b)



Waveform	Phase	SINAD [dB]	THD [%]
Voltage (V-0)	<i>a</i>	41.73	0.75
	<i>b</i>	41.21	0.73
	<i>c</i>	41.99	0.79

Waveform	Phase	SINAD [dB]	THD [%]
Current A (I-A)	<i>a</i>	15.89	15.86
	<i>b</i>	16.57	14.61
	<i>c</i>	15.67	16.20

- Fundamental frequency  $f_1$  as estimated on V-0 (less distorted than current)

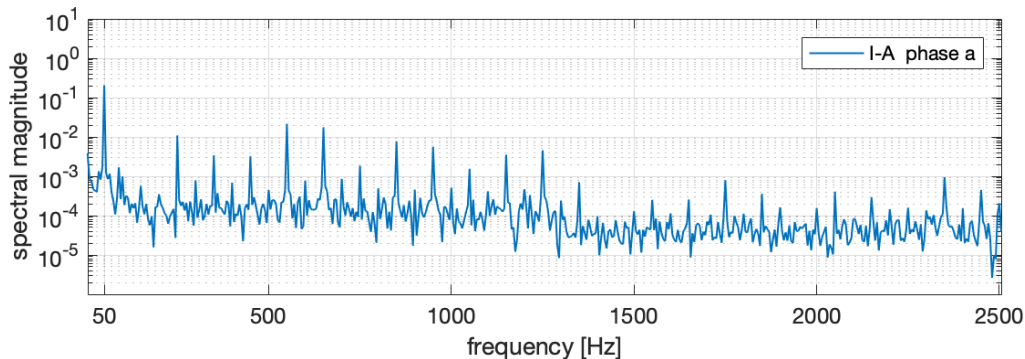


## Fundamental frequency time-evolution:

- $t = [0, 0.8]s$  is stable around 50.01 Hz
- $t = [0.8, 2]s$  increases up to 50.09 Hz

# Results: Harmonic Phasors

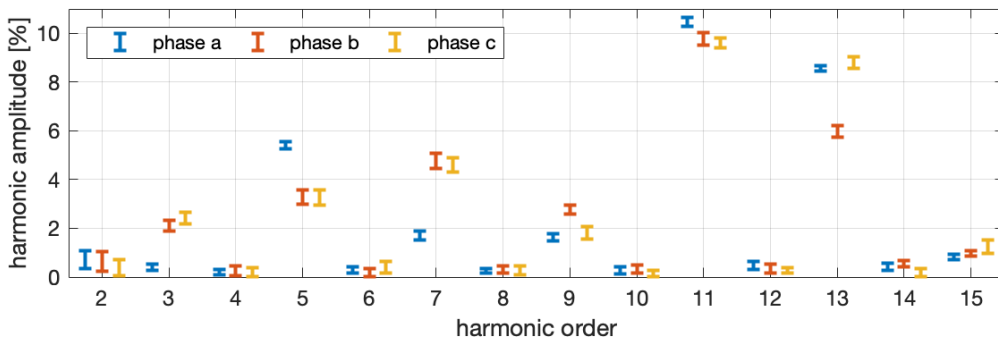
- Spectral representation of the current I-A phase a over a 100 ms window:



## Harmonic content (THD $\approx 15\%$ )

- highest harmonics within [250, 1250] Hz
- higher amplitude for odd-order harmonics

- Harmonic phasor variability (min-max range) for the current I-A three-phase:

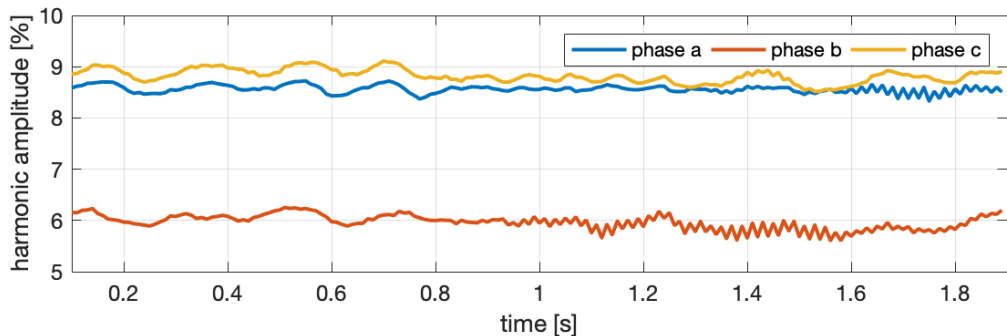


## Harmonic amplitude range

- high variability also among odd-orders
- scarce correlation between the phases

# Results: Estimated THD

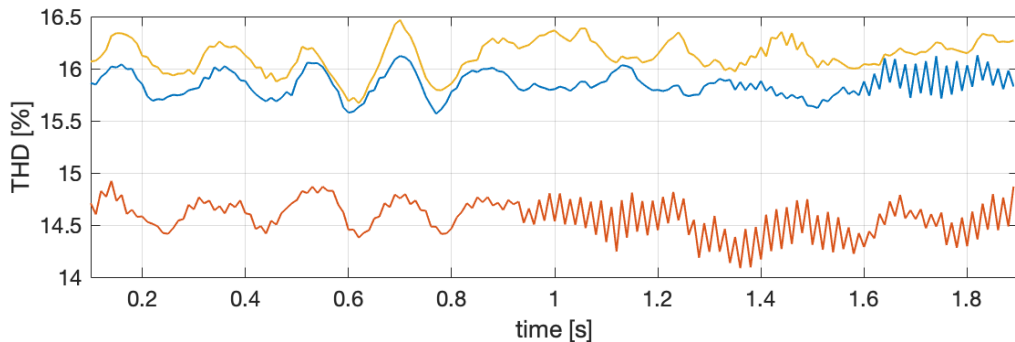
- Looking in more detail to the time evolution of 13th order harmonic amplitudes:



## Uncorrelated random trends

- three-phases are not perfectly coincident
- mutual correlation lower than 90%

- Based on these harmonic amplitudes, we compute the corresponding THD:

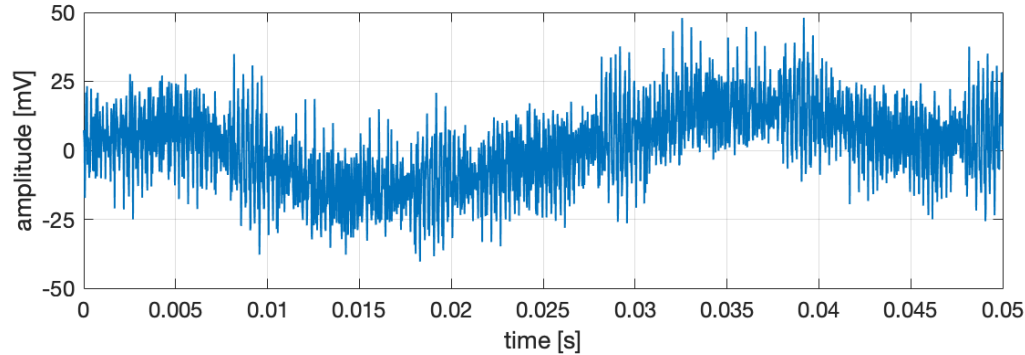


## Total Harmonic Distortion variations

- different mean values, and std. devs.  $\approx 0.15\%$
- results compliant with Matlab routine (SVD)

# Measurement Noise Model

Once removed fundamental and (inter-)harmonics, the residuals are *just* noise:



## Measurement noise

- nearly-stationary trend
- uncorrelated wideband noise

It is possible to identify two main components of the recovered meas. noise:

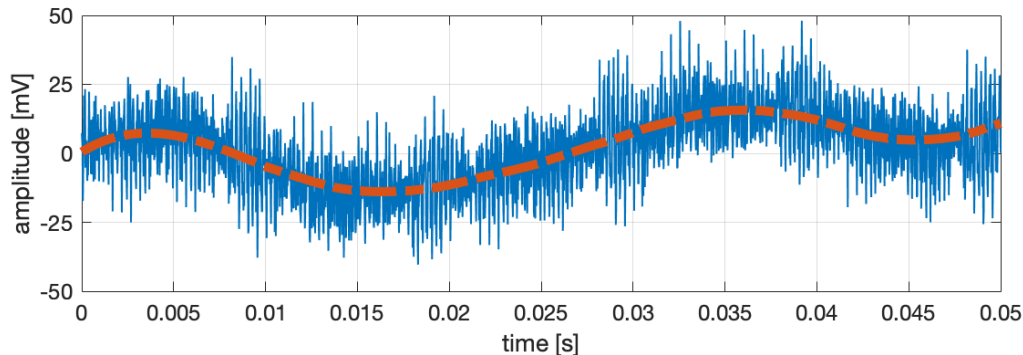
- nearly-stationary trend + DC
- uncorrelated wideband noise

Nearly stationary trend approximated by means of a low-pass filter (Savitzky-Golay filter, polynomial order 3, window length 20 ms).

Uncorrelated wideband noise approximated by means of a Gaussian random variable characterized by residuals' mean and variance.

# Results: Noise Statistical Model

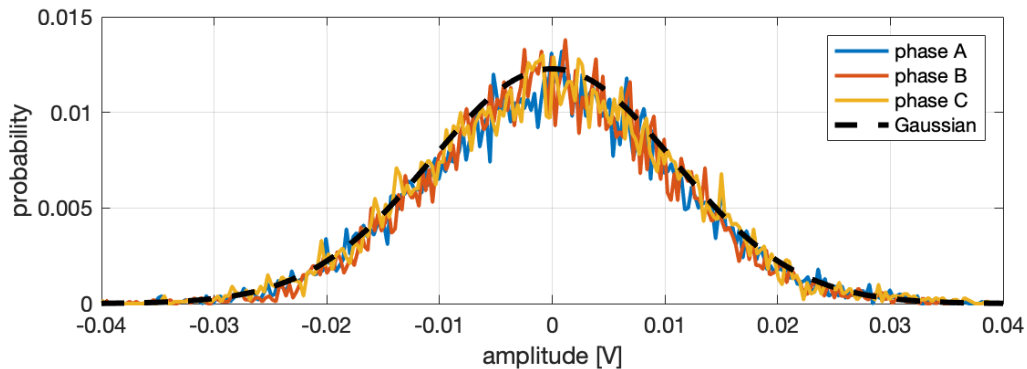
- Nearly-stationary trend:



## Savitzky-Golay filter output

- capable of tracking low-frequency trend
- smoothed 3<sup>rd</sup> order approximation

- Gaussian random variable:



## Gaussian noise model

- the model fits well all the three-phases
- comparable histogram distributions

# Conclusions

We integrated the **waveform recording (WR) functionality** in our DESL-PMU:

- ROCOF measurements govern the recording action
- acquired data repository is available on Github

Acquired data processing enables us to determine the harmonic and inter-harmonic content and the statistical distribution of measurement noise:

- realistic disturbance levels for network modeling and control applications
- useful information for developing enhanced state estimators or for identifying possible non-linear effects in the acquisition system

In our experimental scenario we noticed:

- voltage waveforms  $\rightarrow$  THD  $\simeq$  1%, SNR  $\simeq$  40 dB
- current waveforms  $\rightarrow$  THD  $\simeq$  16%, SNR  $\simeq$  35 dB
- harmonic phasors with time-varying amplitudes
- harmonic phasors uncorrelated among phases

- **Dataset repository and network configuration:**

[1] *"Point-on-wave Data of EPFL-campus Distribution Network,"* [online] available at <https://github.com/DESL-EPFL/>

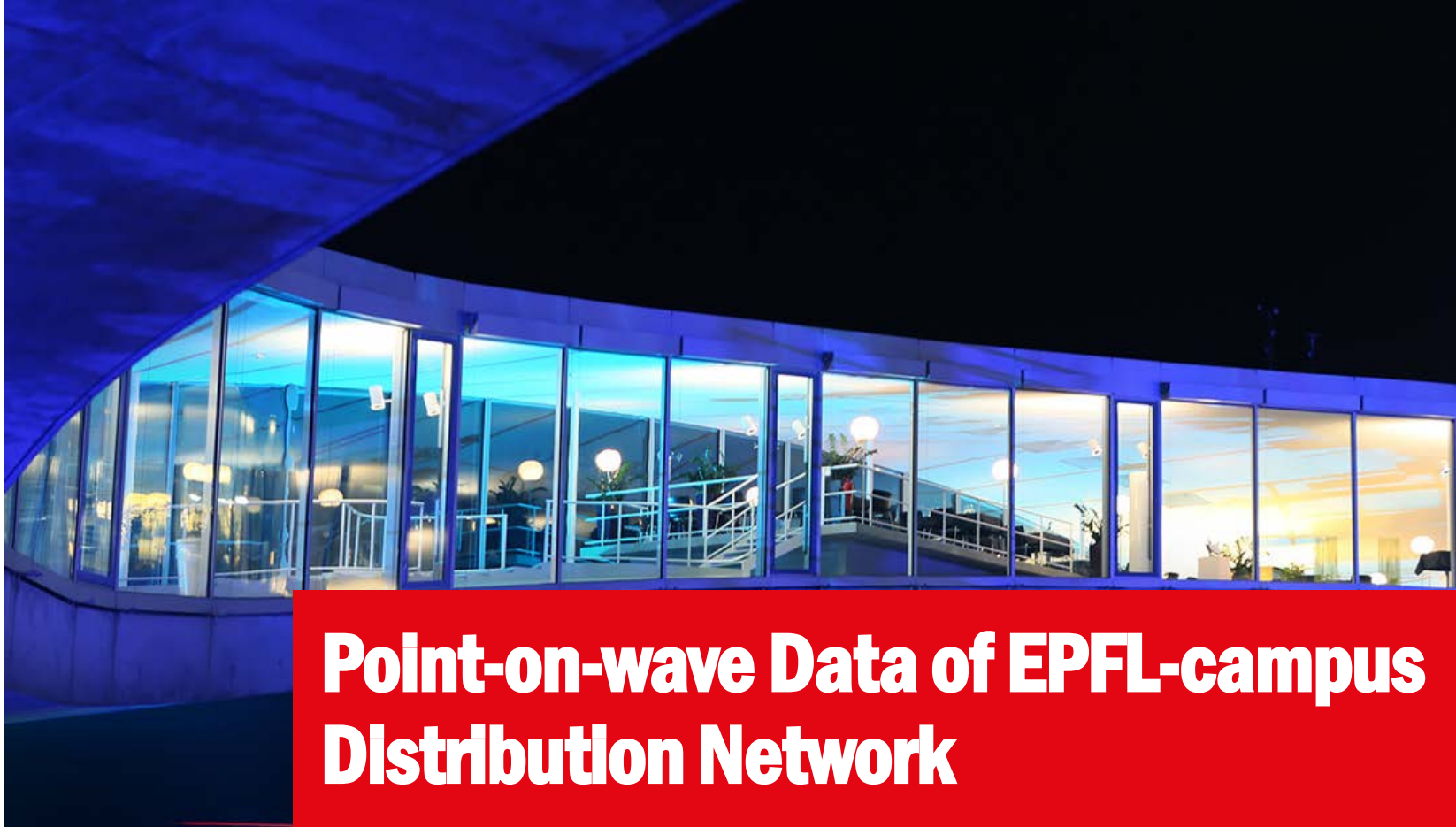
[2] F. Sossan, E. Namor, R. Cherkaoui, M. Paolone *"Achieving the Dispatchability of Distribution Feeders Through Prosumers Data Driven Forecasting and Model Predictive Control of Electrochemical Storage,"* in IEEE Trans. on Sustainable Energy, no. 7, vol. 4, pp. 1762-1777, April 2016.

- **Processing methods and results' discussion:**

[3] G. Frigo, A. Derviškadić, A. Bach, and M. Paolone, *"Statistical Model of Measurement Noise in Real-World PMU-based Acquisitions,"* 2019 IEEE SGSMA, accepted.

[4] G. Frigo, A. Derviškadić, A. Bach, P. A. Pegoraro, C. Muscas, and M. Paolone, *"Harmonic Phasor Measurements in Real-World PMU-Based Acquisitions,"* 2019 IEEE I2MTC, accepted.





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