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Fundamentals of Forced Oscillations

JIM FOLLUM

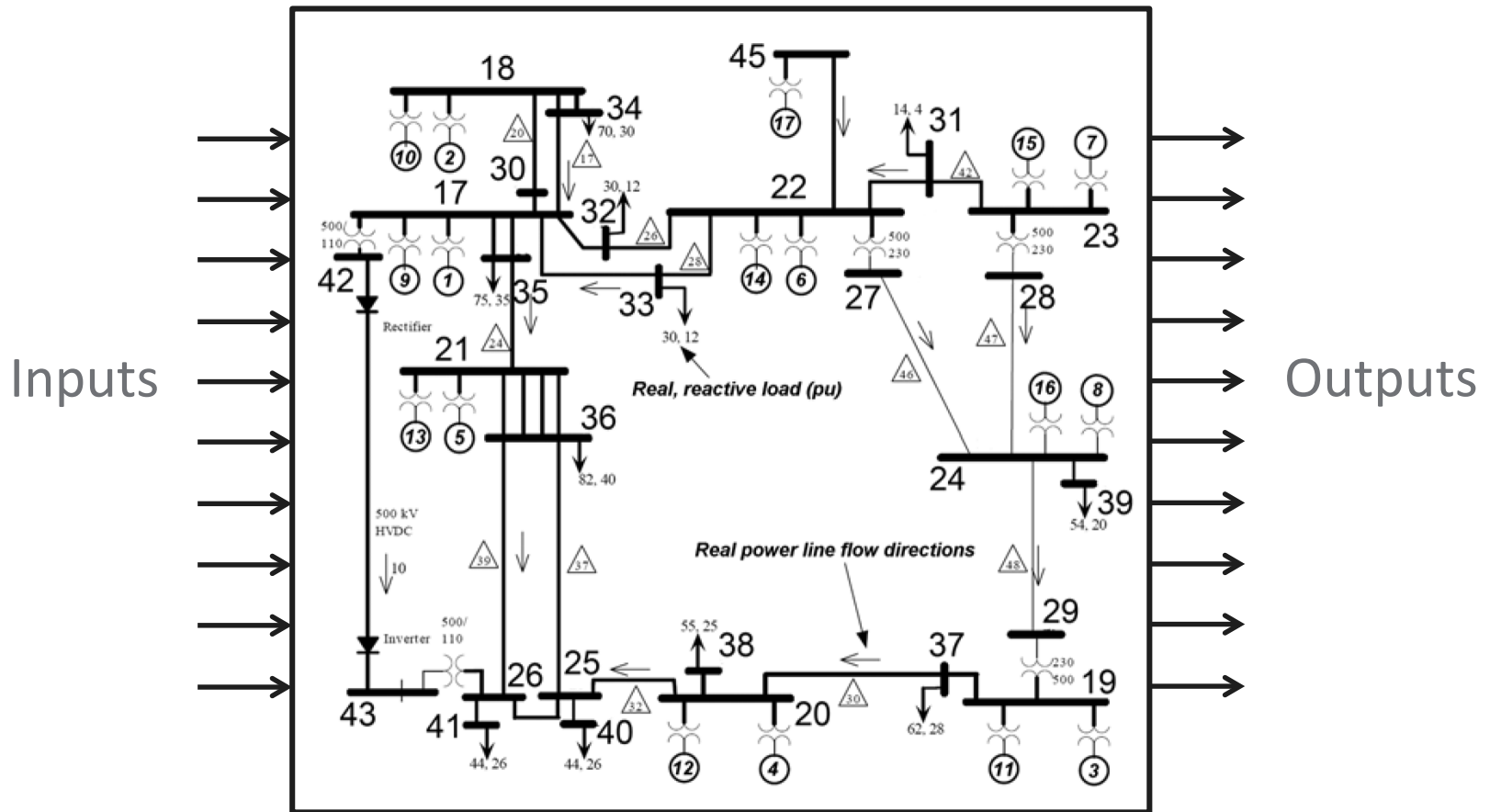
Pacific Northwest National Laboratory

NASPI-NERC SMS-IEEE PES Forced Oscillations Technical Workshop

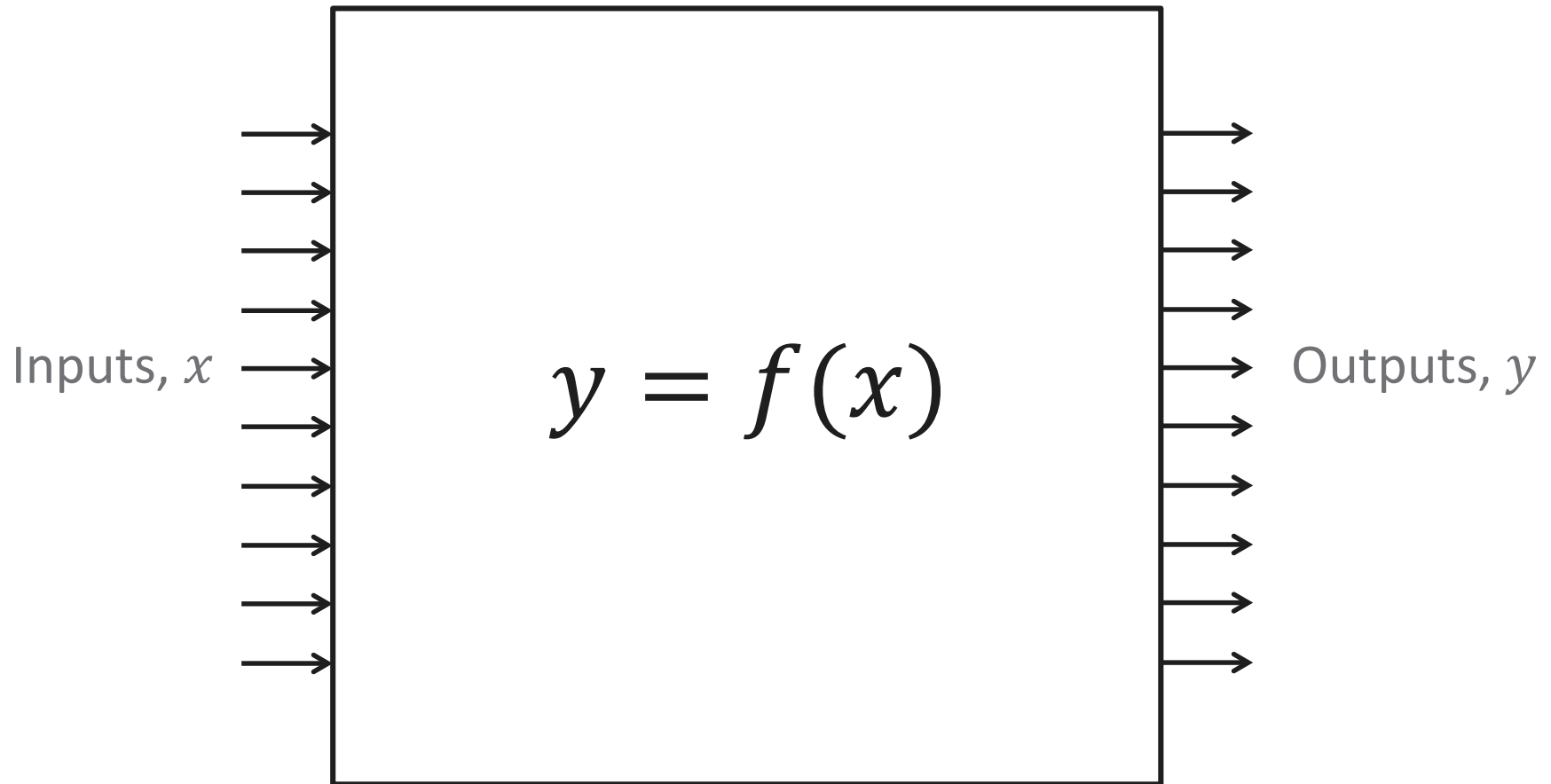
Overview of Forced Oscillations

- ▶ Relatively common power system events
- ▶ PMUs have led to much greater awareness in recent years
- ▶ Resonance can lead to system-wide oscillations
- ▶ Potential to negatively impact equipment and operation

The Power Grid as a System



The Power Grid as a System



▶ Inputs

- Disturbances that change the grid's state
- Examples
 - Fault
 - Trip of a line, generator, or load
 - Persistent random load changes
 - Oscillatory load or generation
 - Control actions

▶ Outputs

- Measurements distributed throughout the system
- PMUs are crucial
 - Synchronization
 - High reporting rate

What is a Forced Oscillation?

▶ Oscillation

- An unintentional periodic exchange of energy across different components of a power grid
- Characterized by a set of frequency, damping, amplitude, and phase terms

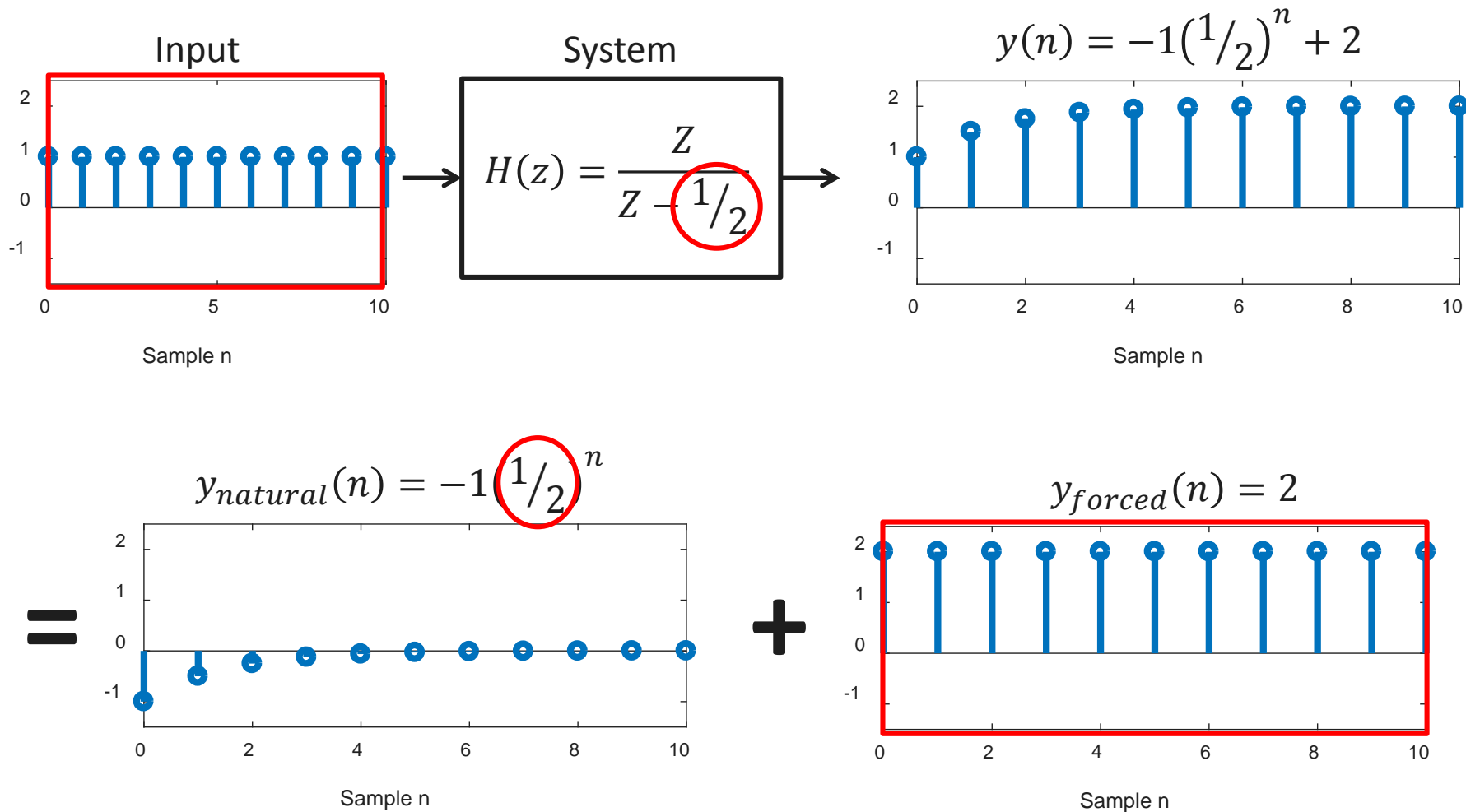
▶ System response

- An output associated with a set of inputs
- Total System Response = Natural Response + Forced Response
 - Natural Response: the portion of the response associated with the system
 - Forced Response: the portion of the response associated with the input

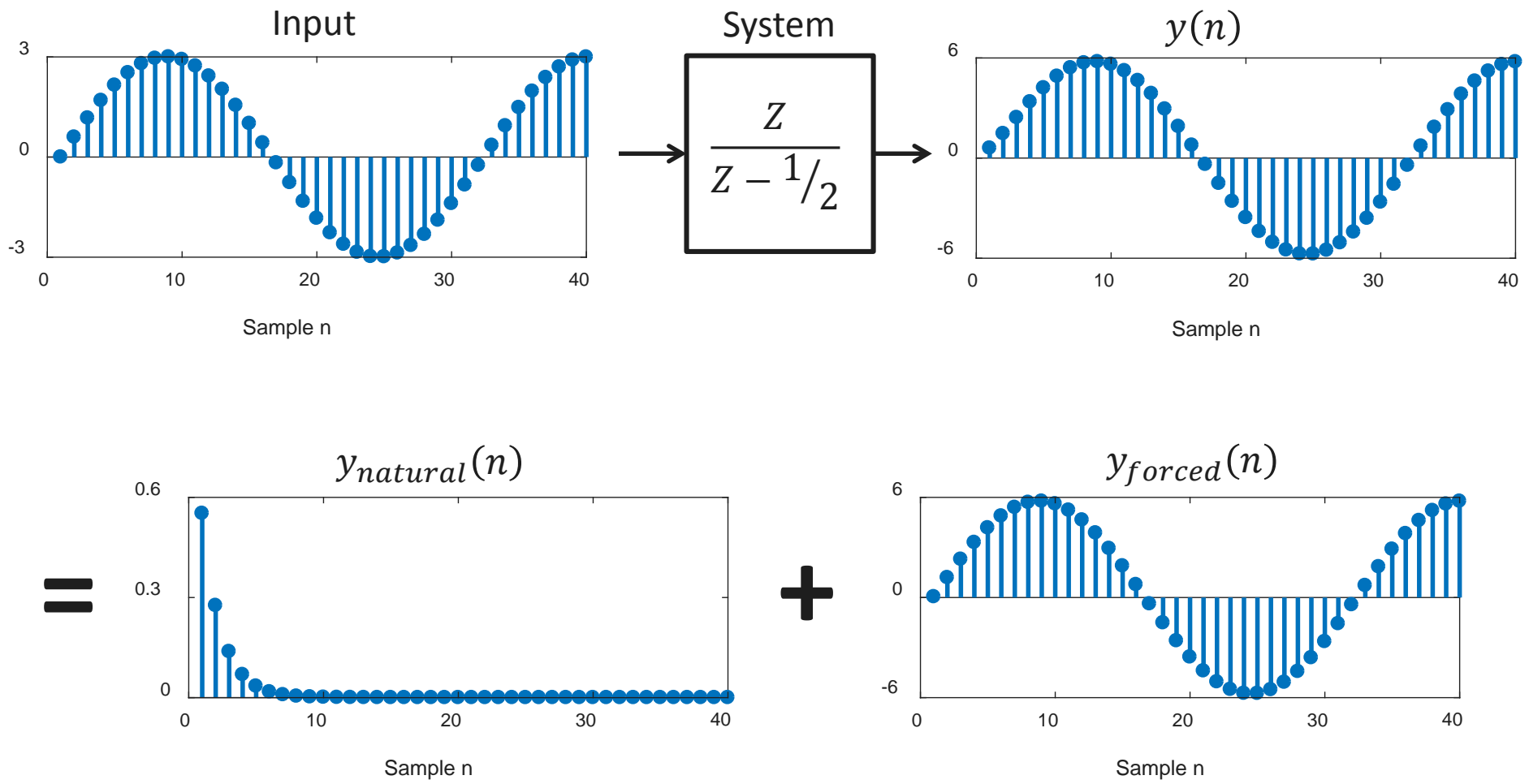
▶ Forced Oscillation: the forced response of a system to a periodic input

- Visible in power, frequency, and voltage measurements

Example: System Response



Example: System Response to Periodic Input



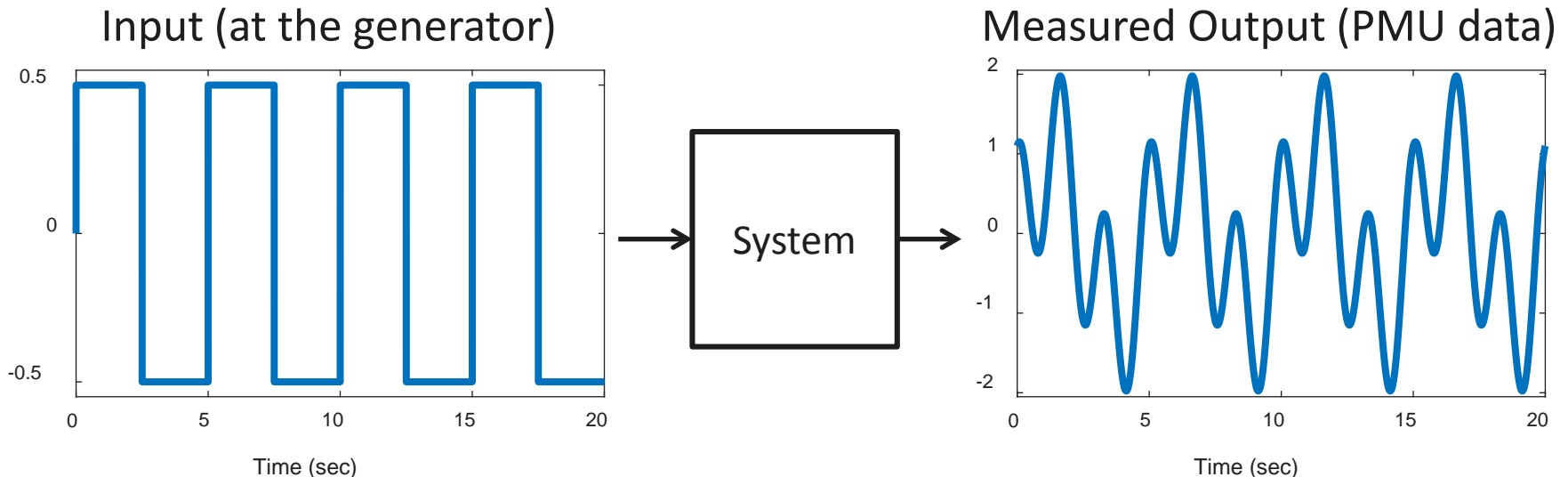
- ▶ Appropriate action when a sustained oscillation appears depends on the oscillation's type
 - Forced: disable the input
 - Natural (modal): adjust system operation to improve stability
- ▶ Forced oscillations reflect the characteristics of a periodic input to the system
 - What are the periodic inputs?
 - What are the characteristics of a forced oscillation?

- ▶ Sources are varied
 - Traditional generation, e.g., fossil, hydro, and nuclear plants
 - Alternative generation, e.g., wind and solar
 - Cyclical loads, e.g., aluminum smelting
 - Malfunctioning controls
- ▶ Examples from forthcoming NERC reliability guideline “Forced Oscillation Monitoring & Mitigation”
 - Broken valve on thermal unit
 - Operation of hydro unit in rough zone
 - Wind power plant control
 - HVDC controller
 - Operating mode of combined cycle plant

Characteristics of Forced Oscillations

► Setup

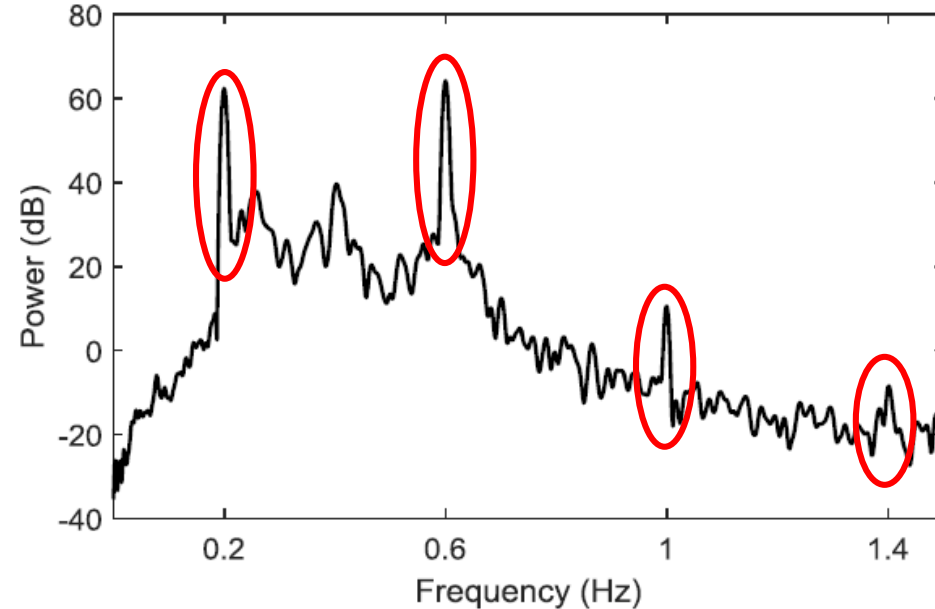
- Any periodic input can be written as $x(t) = a_0 + \sum_{h=1}^{\infty} a_h \cos(h\omega_0 t + \theta_h)$
- Power systems tend to behave linearly about an operating point
- The system applies a frequency-dependent gain and phase shift to each component
- Measured outputs take the form $y(t) = b_0 + \sum_{h=1}^{\infty} b_h \cos(h\omega_0 t + \phi_h)$



Characteristics of Forced Oscillations

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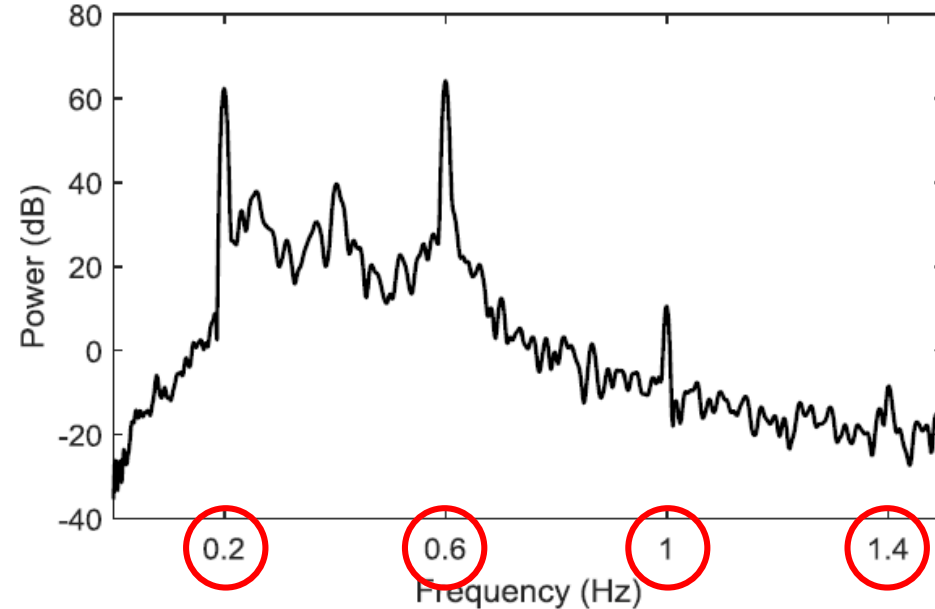
- ▶ Narrow frequency components
- ▶ Harmonics
 - Frequencies are integer multiples
- ▶ Consistent oscillation frequency throughout the system
- ▶ Shape
 - Observed amplitude and phase in different parts of the system



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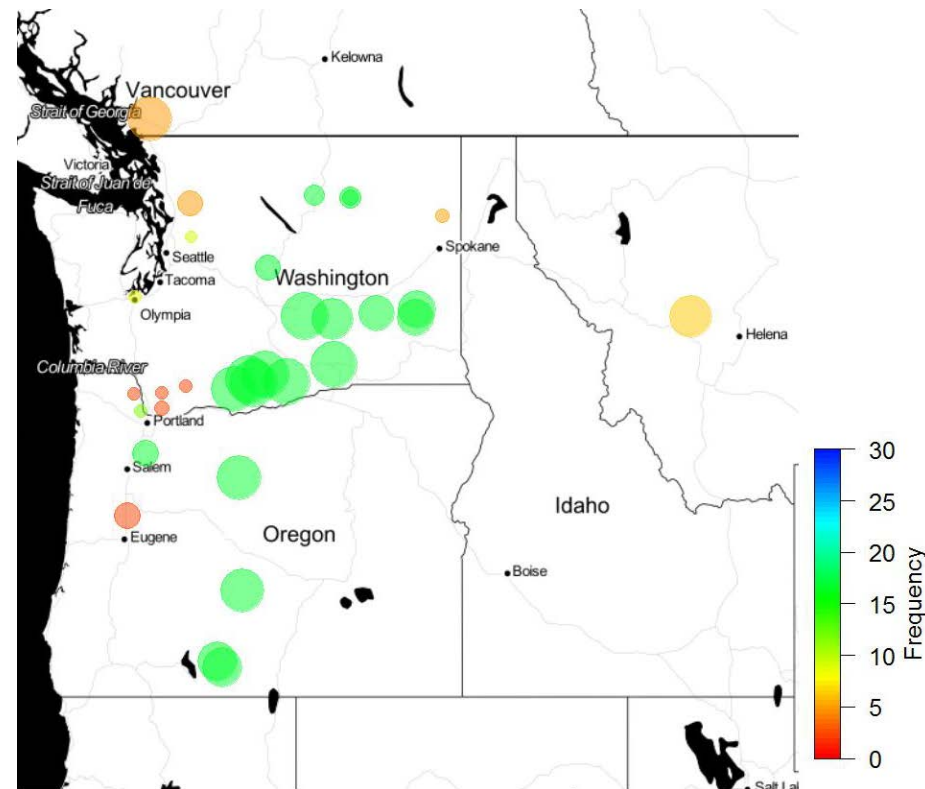
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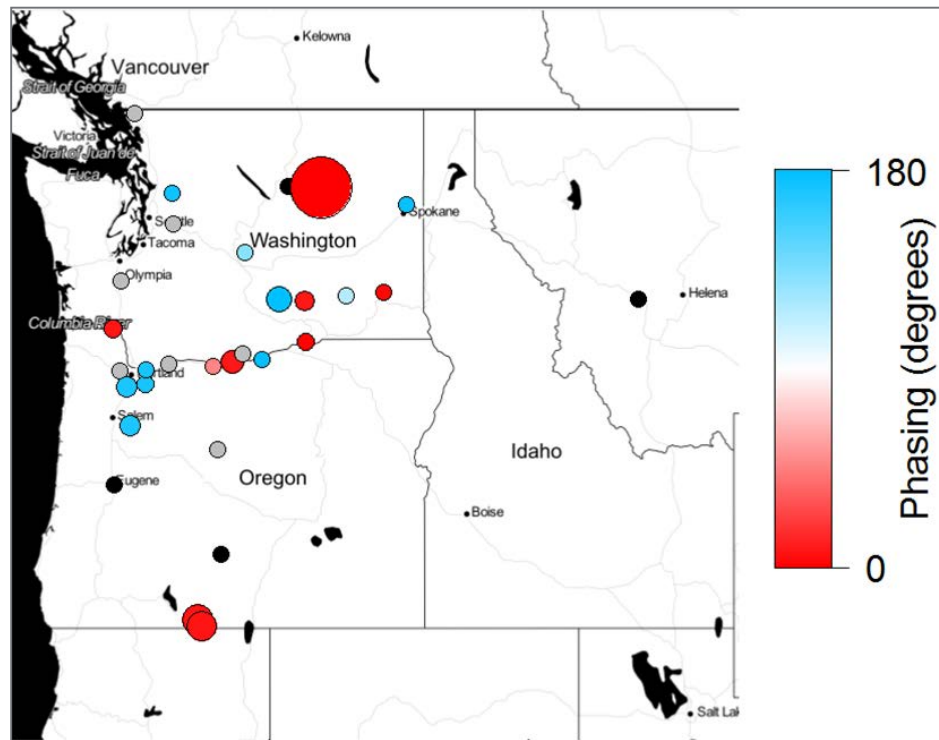
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► Damping?

- Like mode shape, damping is a characteristic of the **system**
- Observable in ambient and transient data because they are **natural** responses
- A forced oscillation's undamped nature does not reflect the system's damping
- Example:
 - Fit measured data to $y = ax^2 + bx + c$
 - $a \approx 0$ indicates that the data is linear
 - $y = mx + b$ is a superior model
- Low damping estimates indicate either...
 - A forced oscillation with nearly constant amplitude is present, or
 - A system mode has poor damping – don't rule this out immediately!

Potential Impacts of Forced Oscillations

- ▶ Equipment fatigue
- ▶ Damage to rotor shafts
- ▶ Poor power quality
- ▶ Reduced production
- ▶ Limited transfer capability
- ▶ Generator tripping
- ▶ Impeded efforts to monitor modal oscillations

Analysis of Forced Oscillations

- ▶ Detection
 - Determine that a sustained oscillation is present
- ▶ Identification
 - Frequency
 - Harmonics?
 - Amplitude
 - Start and end time
 - Phase
- ▶ Classification
 - Natural or forced?
 - Widespread or local?
- ▶ Localization

- ▶ A variety of detectors have been suggested
 - Energy [1]
 - Increased signal energy in predefined frequency bands
 - Periodogram [2]
 - Increased signal power at individual frequencies
 - Coherence [3, 4]
 - Significant coherence over time (single channel) or across the system (multichannel)
 - Oscillation Monitor [5]
 - Damping estimates near zero
- ▶ Performance aspects of oscillation detectors
 - Delay – How long before the oscillation is detected?
 - Reliability – How many false alarms for each detected event?
 - Selectivity – Are only forced oscillations detected?
 - Robustness – How does performance vary under different conditions?

▶ Challenges

■ Oscillation shape

- Forced oscillation shape conforms to mode shape when frequencies close
- Amplitude may be largest far from source – see example in [5]

■ Model must be accurate to be utilized

■ Source variety

▶ Approaches

■ Huge variety: traveling wave, damping torque, mode shape, energy,...

■ Applicability

- Variety: forced, modal, agnostic
- Forced oscillation source: conventional generation, renewable generation, etc.

■ For a survey, see [6]

IEEE PES Task Force on Oscillation Source Location

- ▶ August 2016 – December 2019
- ▶ Scope
 - Test case library: <http://curent.utk.edu/research/test-cases>
 - Summarize approaches
 - Theoretical investigation
 - Online algorithm development

- [1] Kosterev, D., Burns, J., Leitschuh, N., Anasis, J., Donahoo, A., Trudnowski, D., Donnelly, M., Pierre, J. (2016). Implementation and Operating Experience with Oscillation Detection Application at Bonneville Power Administration. *Proceedings of CIGRE 2016 Grid of the Future*. Philadelphia.
- [2] Follum, J., & Pierre, J. W. (2016, May). Detection of Periodic Forced Oscillations in Power Systems. *IEEE Transactions on Power Systems*, 31(3), 2423-2433.
- [3] Zhou, N. (2013, July). A coherence method for detecting and analyzing oscillations. *Power and Energy Society General Meeting (PES), 2013 IEEE*, (pp. 1-5).
- [4] Zhou, N., & Dagle, J. (2015, Jan). Initial Results in Using a Self-Coherence Method for Detecting Sustained Oscillations. *Power Systems, IEEE Transactions on*, 30(1), 522-530.

- [5] Sarmadi, S. A. N. & Venkatasubramanian, V., "Inter-Area Resonance in Power Systems From Forced Oscillations," in *IEEE Transactions on Power Systems*, vol. 31, no. 1, pp. 378-386, Jan. 2016.
- [6] Wang B., & Sun, K., "Location Methods of Oscillation Sources in Power Systems: A Survey", *Journal of Modern Power Systems and Clean Energy*, 2016. DOI: 10.1007/s40565-016-0216-5

Oscillation Detection and Analysis Tools used in Industry

Ning, J., Zhang, H., Wu, T., Bowles, M., & Venkatasubramanian, M., “Real-time Forced Oscillation Detection and Source Location in the Western Interconnection,” NASPI Work Group Meeting, March 2017, Available online: naspi.org.

Maslennikov, S., & Litvinov, E., “Oscillation Source Locating Tool at ISO New England,” NASPI Work Group Meeting, March 2017, Available online: naspi.org.

Donnelley, M., “Implementation and Operating Experience with Oscillation Detection at Bonneville Power Administration,” NASPI Work Group Meeting, October 2016, Available online: naspi.org.

Liu, J., “Oscillation Detection and Mitigation at PJM,” NASPI Work Group Meeting, March 2016, Available online: naspi.org.

Relevant Reports

Follum, J., Tuffner, F., Dosiek, L., & Pierre, J., “Power System Oscillatory Behaviors: Sources, Characteristics, & Analyses,” NASPI Report, May 2017, Available online: naspi.org.

Silverstein, A., “Diagnosing Equipment Health and Mis-operations with PMU Data,” NASPI Report, May 2015, Available online: naspi.org.

Relevant Presentations

- Venkatasubramanian, M. V., O'Brien, J., Zhang, H., Yuan, H., Wu, T., & Ning, A., "Wide-Area Oscillation Resonance Event in the Western Interconnection on September 5 2015," NASPI Work Group Meeting, March 2017, Available online: naspi.org.
- Sun, K., Wang, B., Maslennikov, S., Zhang, F., & Luo, X., "A Test Cases Library for Methods of Locating the Sources of Sustained Oscillations," NASPI Work Group Meeting, March 2016, Available online: naspi.org.
- Venkatasubramanian, M. V., Wu, T., Bestebreuer, J., Blood, E., & Zweigle, G., "Analysis of Eastern Interconnection Modes and Oscillations using SEL Archived PMU Data," NASPI Work Group Meeting, March 2016, Available online: naspi.org.



Questions?

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