



Damping Inter-area Oscillations through Decoupled Modulation

presented by

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Team:

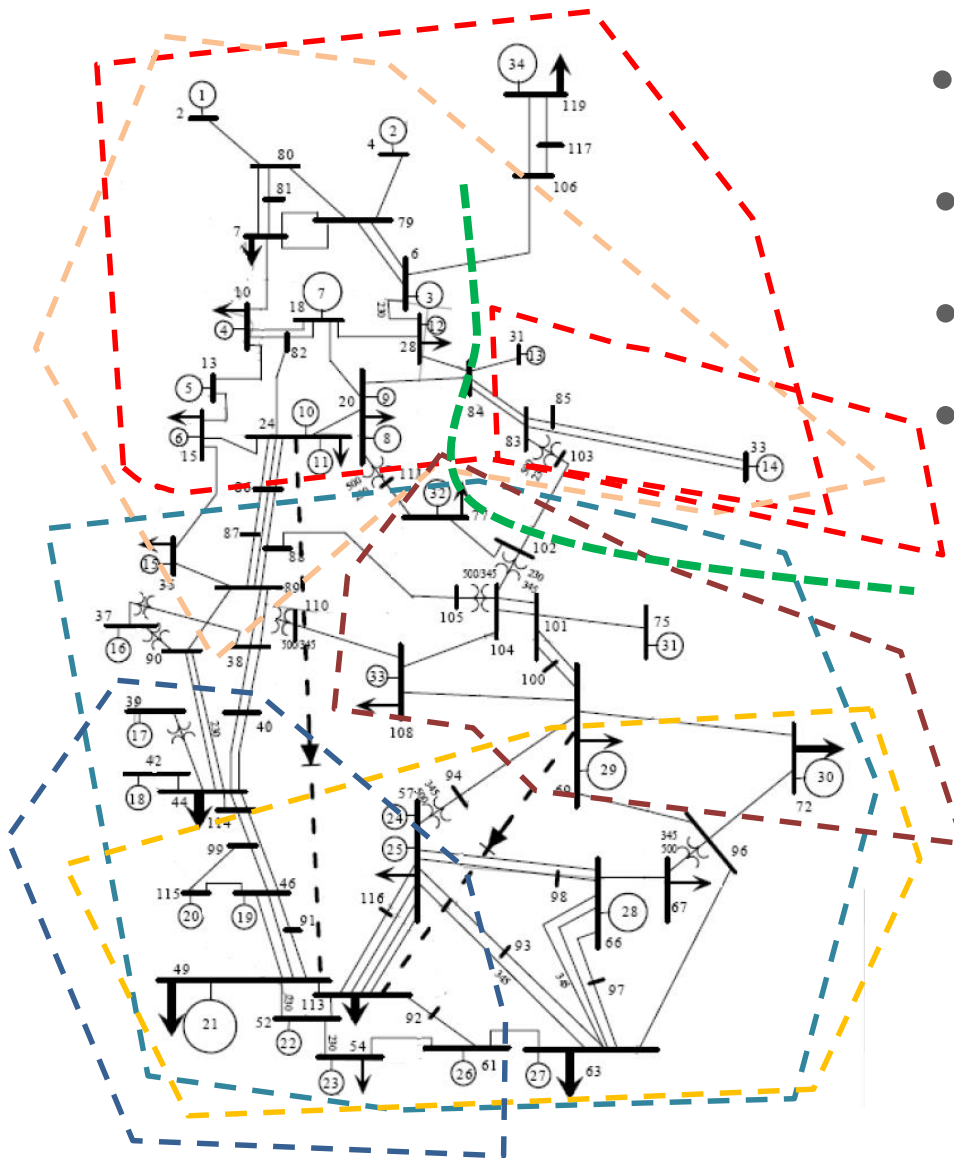
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- ▶ At a stressed operating condition, a small disturbance may excite the undesirable oscillation modes
 - Local mode: 0.7 ~ 2.0 Hz
 - Inter-area mode: 0.1 ~ 0.7 Hz
- ▶ Undamped or underdamped inter-area oscillations can adversely threaten power system security
- ▶ Affected by many factors including improperly tuned dynamic parameters like exciters and PSS, system topology, load models, generation schedules, etc.
- ▶ If proper control actions are not taken in time, an initiating event could eventually lead to system separation and/or a large scale blackout

Complex interactions of multiple inter-area oscillation modes

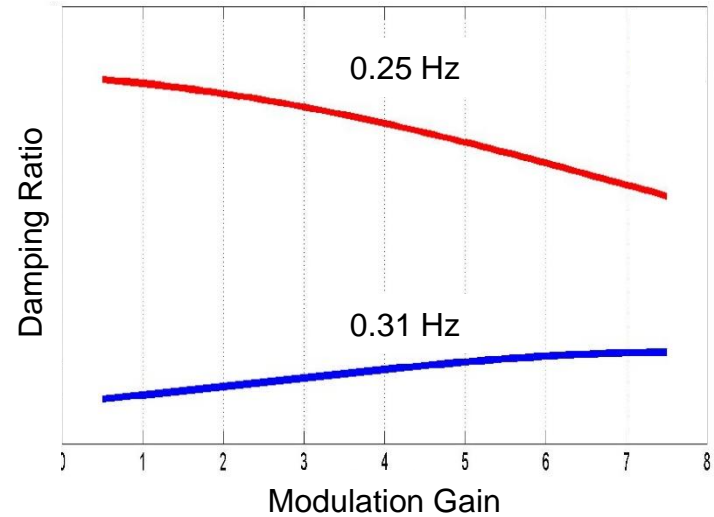
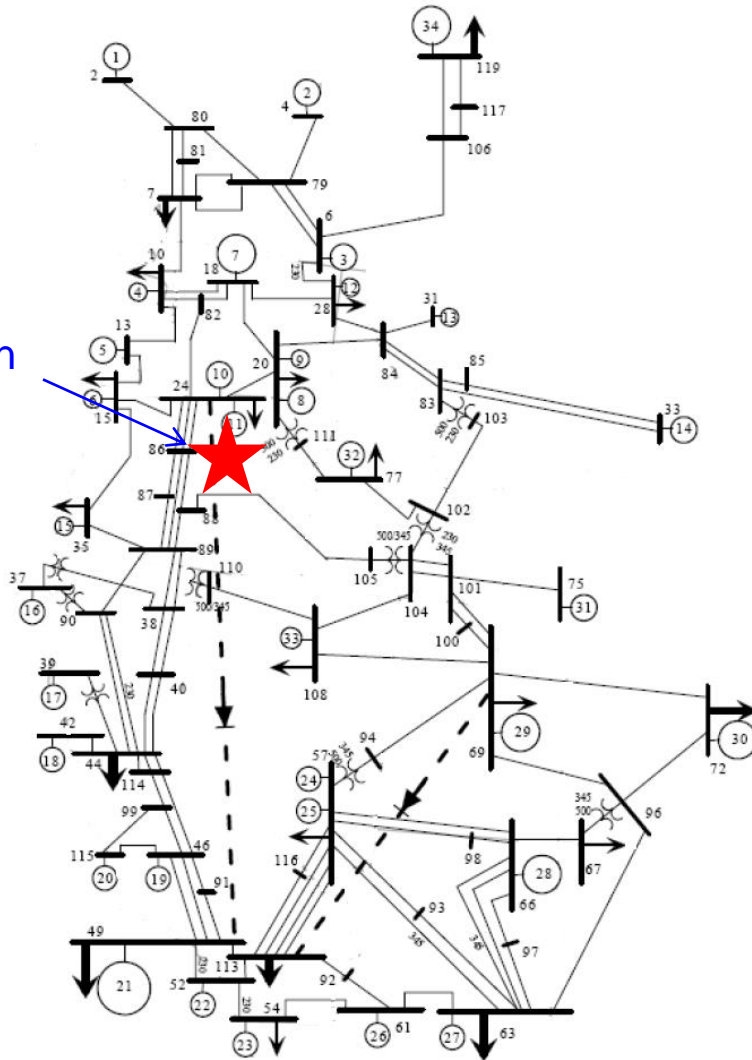


- 0.17 Hz N-S mode
- 0.32 Hz Alberta mode
- 0.5 Hz E-W mode
- 0.55 Hz Montana mode

Credit: Dan Trudnowski
Professor at Montana Tech

Controller design facing interference between oscillation modes

Modulation
Control



Issues identified in wide-area modulation control

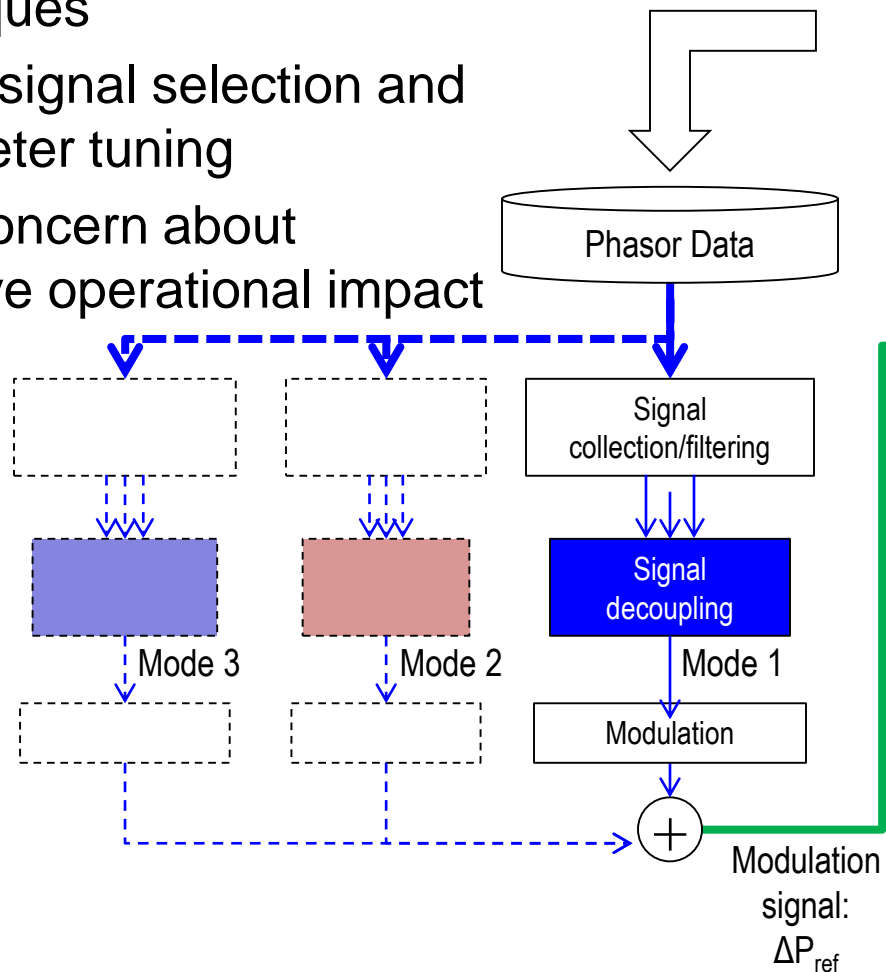
- ▶ Traditional PSS uses local measurements
 - providing only a limited view of inter-area oscillations
- ▶ Inter-area oscillations involve many generator units
 - PSS installed at one generator is not effective
 - Multiple PSSs installed at several generators raise the issue of coordination
- ▶ A large-scale power grid usually has multiple oscillation modes
Controller designed for one mode may adversely affect other modes

Problem formulation and objective

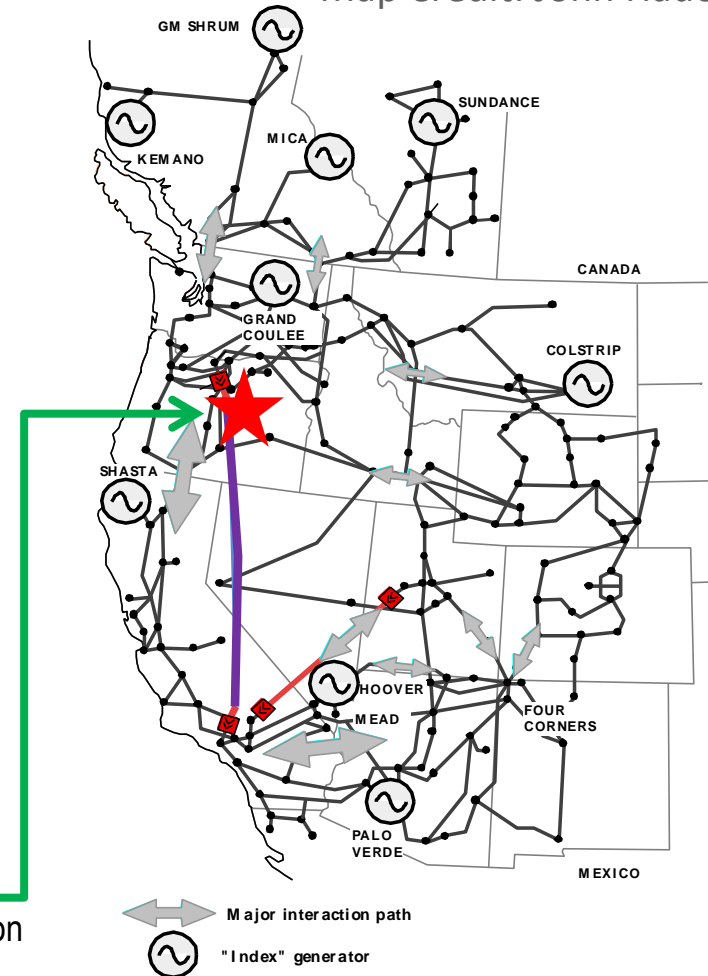
- ▶ Problem – interference of modes:
 - *Design Issue*: Signal selection is more complex and constrained by signal availability
 - *Design Issue*: Parameter tuning is more limited due to compromises
 - *Operational Issue*: Possibility of adverse impact on damping of one mode while improving damping of another mode
- ▶ Objective – minimize interference in modulation control:
 - Develop a modulation control that decouple the modes
 - Enable multiple modulation controllers, one per mode, at the same location
- ▶ Opportunities:
 - Wide-area phasor measurements
 - Available HVDC and FACTS devices, e.g., PDCI

Technical approach: decouple mode interference by decoupling signals

- ▶ Supported by linear system theory
- ▶ Leveraging filtering techniques
- ▶ Easier signal selection and parameter tuning
- ▶ Less concern about negative operational impact



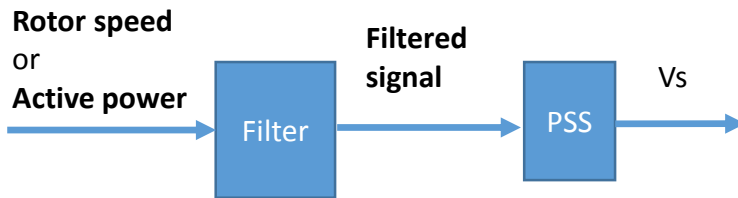
Map Credit: John Hauer



A real-time signal decoupling approach via band-pass filter

- ▶ Idea: to introduce a band-pass filter to allow certain frequency components of an input signal to pass through, to a traditional PSS

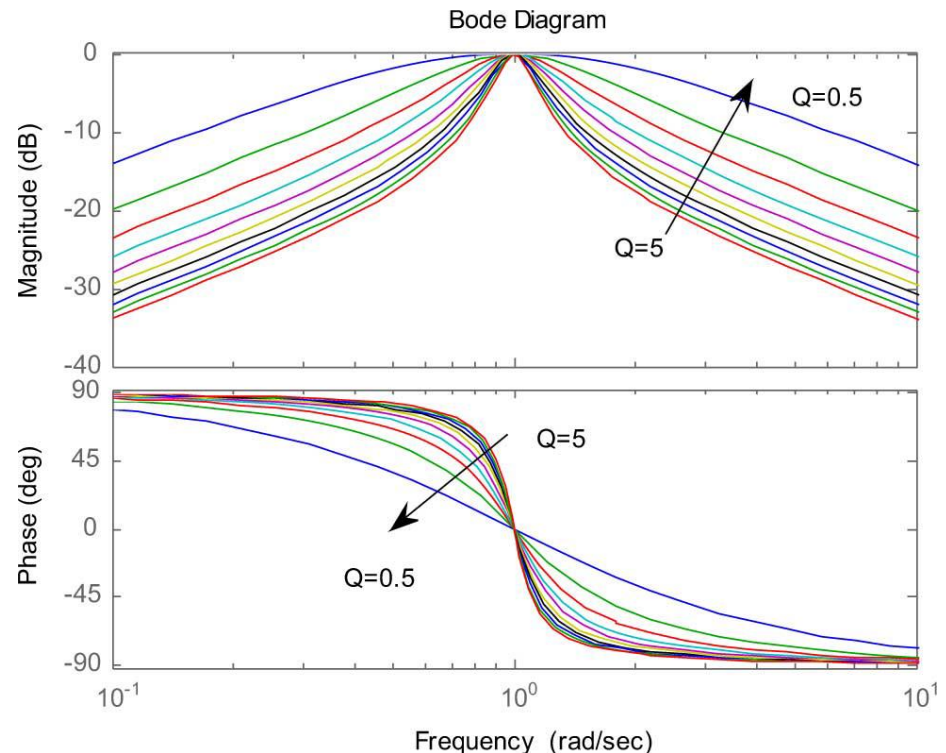
- Goal: to eliminate other frequency components while keeping a small range



- ▶ Filter design

$$F(s) = \frac{\left(\frac{\omega_0}{Q}\right)s}{s^2 + \left(\frac{\omega_0}{Q}\right)s + \omega_0^2}$$

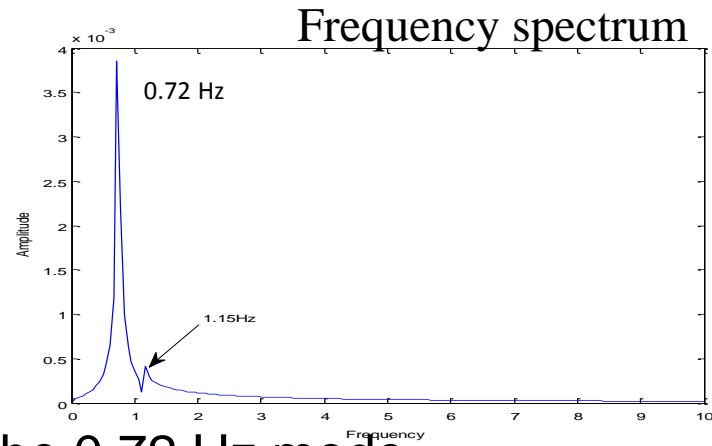
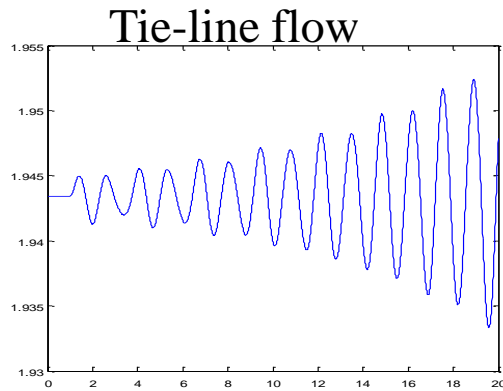
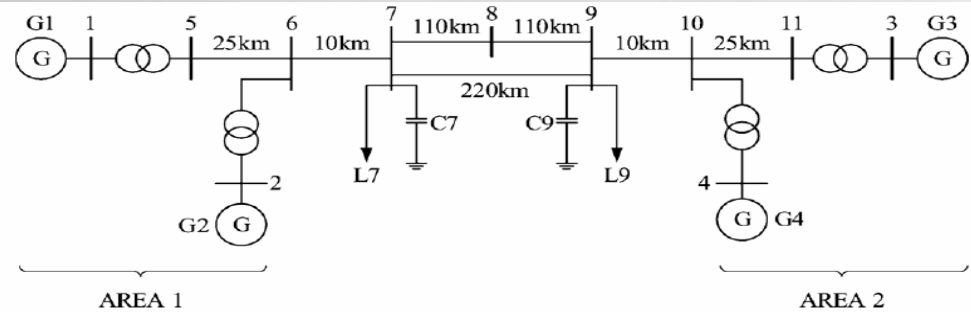
$f_0 = \omega_0 / 2\pi$ is the center pass frequency
 Q is the quality factor



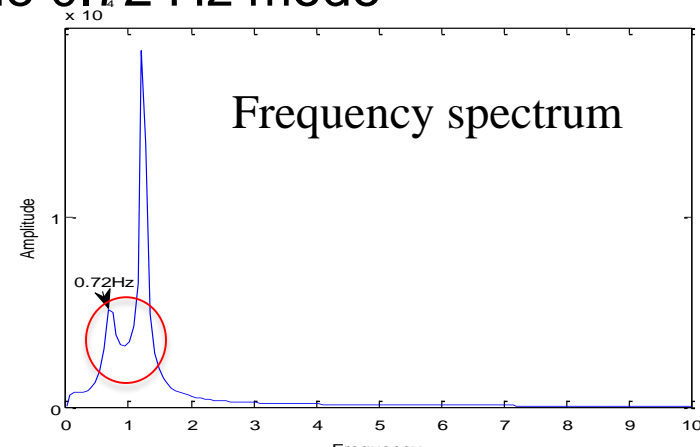
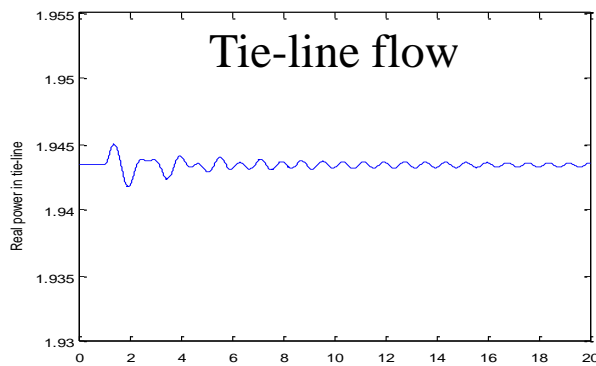
J. Zhang, C. Y. Chung and Y. Han, "A novel modal decomposition control and its application to PSS design for damping interarea oscillation in power system," *IEEE Trans. Power Syst*

Performance test

- ▶ 2-area 4-machine system
- ▶ Two major oscillation modes
 - 0.72 Hz
 - 1.15 Hz

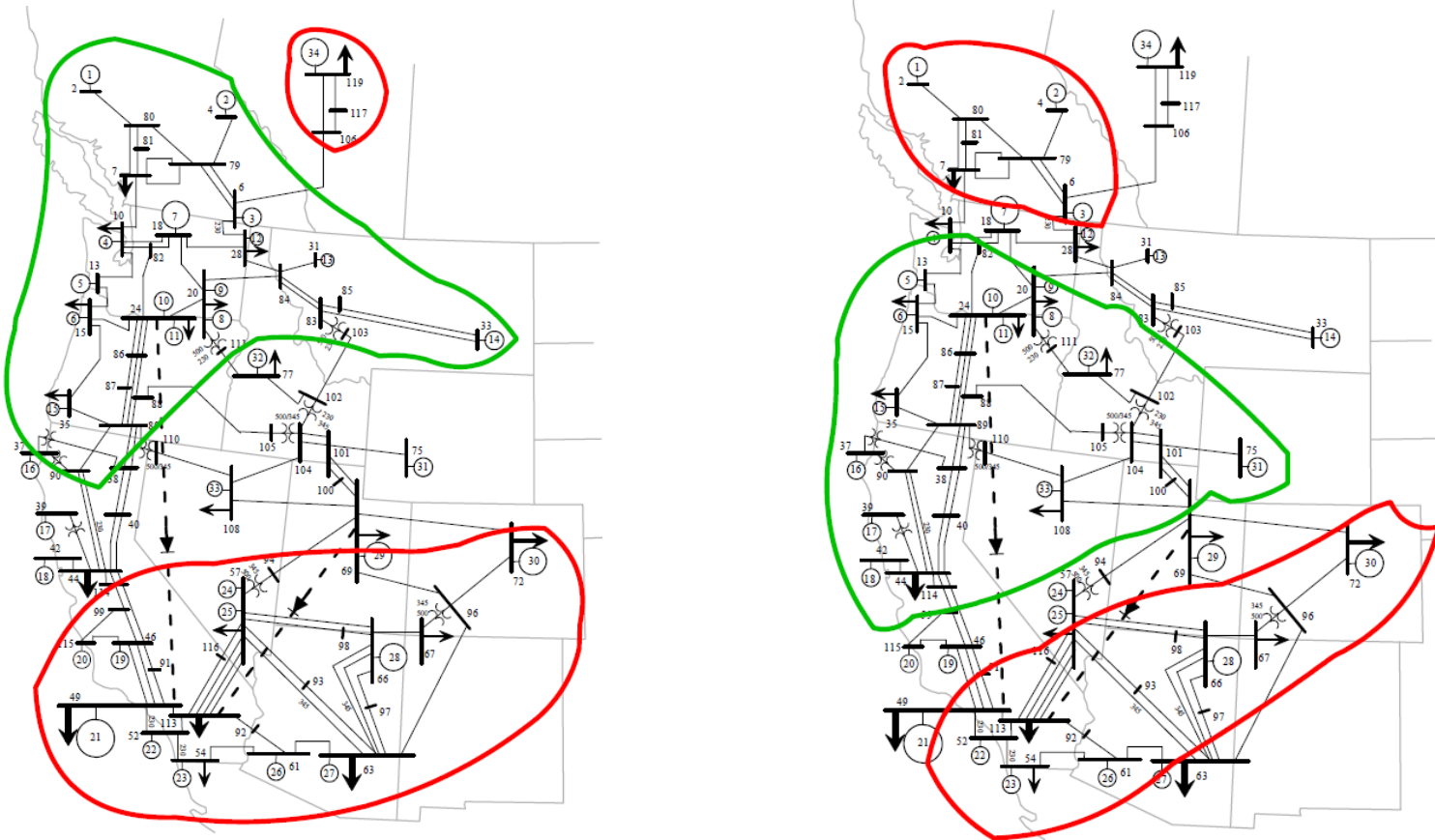


- ▶ Applying a filter to eliminate the 0.72 Hz mode



MinniWECC model Test Results

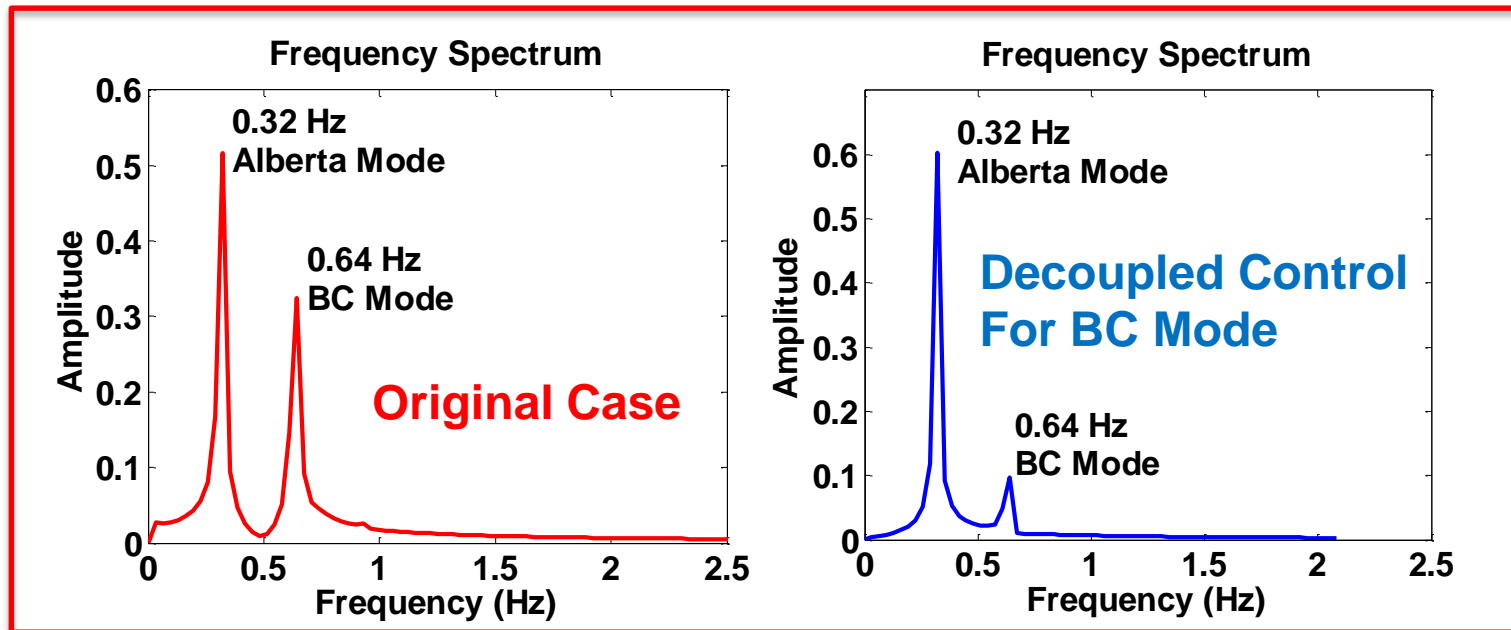
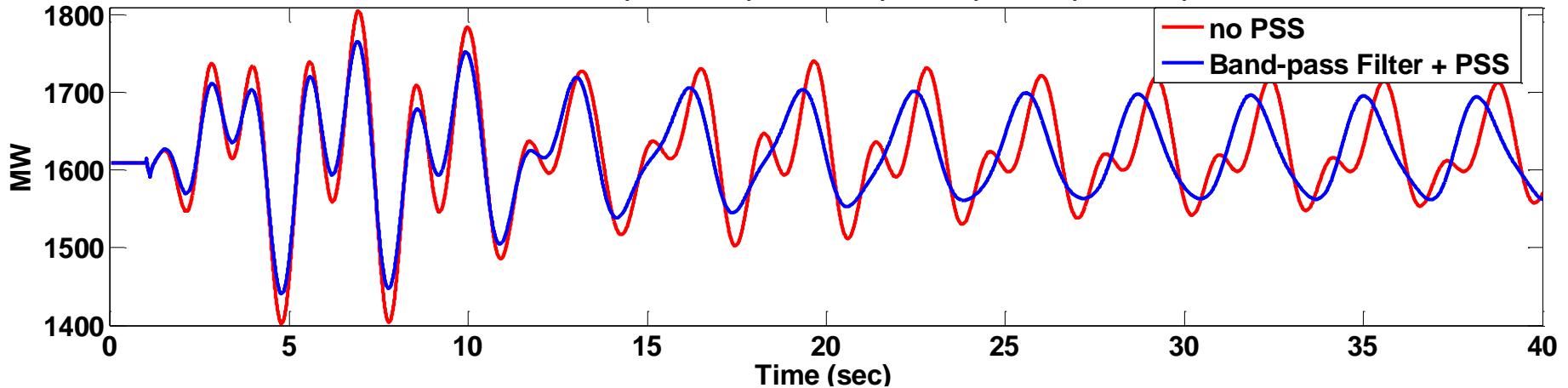
- ▶ Two Inter-area modes have very low damping ratio: **Alberta mode** and **BC mode**
Alberta Mode: 0.32Hz, 0.5% Damping **BC Mode: 0.64Hz, 1.7% Damping**



- ▶ Decoupled damping control for only BC mode:
Bandpass Filter (center pass frequency 0.6Hz) + PSS for Generators: 1, 2, 3, 16, 17, 18, 31, 32, 33

Tie-line Power Flow of minniWECC model

Tie-line Flow (One Line) from LV (Bus 57) to LA (Bus 113)



An eigen-analysis based approach

- ▶ Goal: to extract pure mode(s) from state trajectories

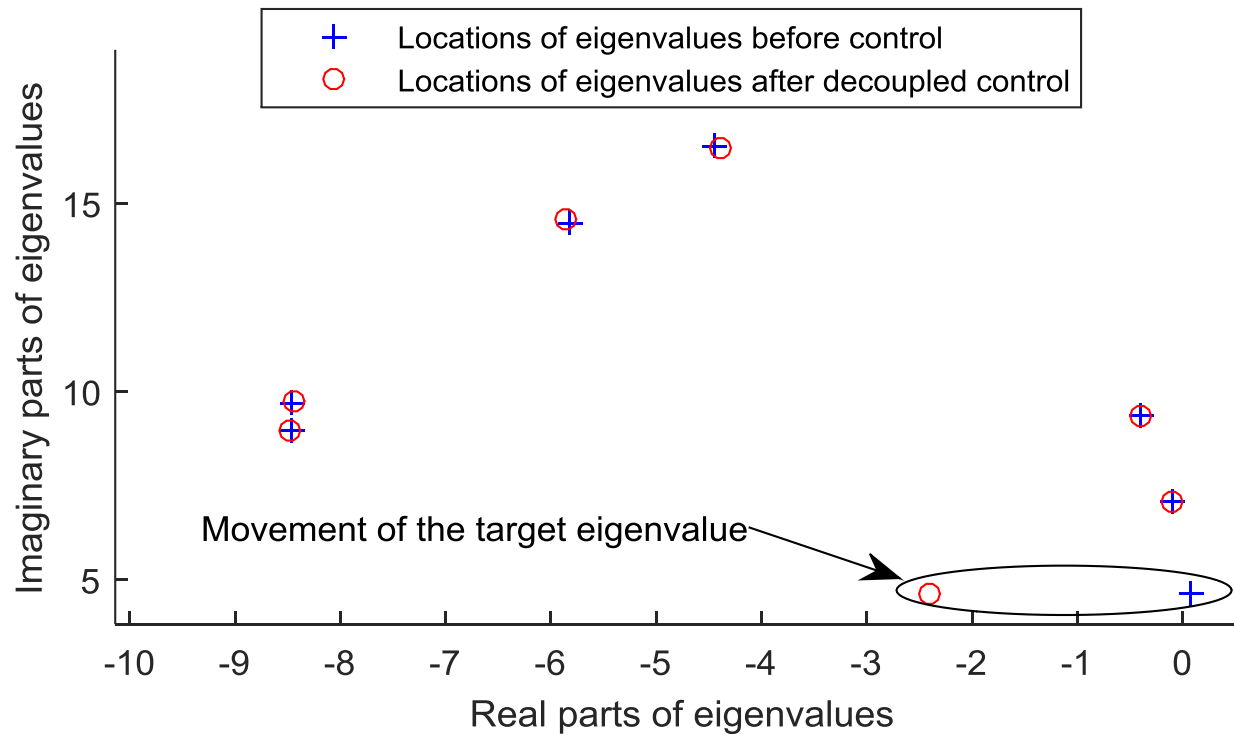
$$\mathbf{z}(t) = \mathbf{u}^{-1} \Delta \mathbf{x}(t)$$

Here $\Delta \mathbf{x}(t)$ is the system state variables which can be obtained from state estimation; $\mathbf{z}(t)$ is the decoupled modes signals which are the feedback signals in the decoupled modulation control.

- ▶ Currently, we are using power system state variables to extract the desired modes
- ▶ In future work, we will use available PMU measurements to extract the target modes for decoupled modulation control

Preliminary testing on the 2-area system

► Decoupled modulation



Next steps

- ▶ Design of decoupled modulation control based on decoupled signal contents on commercial simulation platforms
- ▶ Evaluation of decoupled modulation control with small- to medium-size test systems
- ▶ Engage appropriate industry groups (e.g. JSIS) and stakeholders (e.g., BPA)

Questions?

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